CP2K: An ab initio materials simulation code



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Brief Overview

- Overview of CP2K
 - General information about the package
 - QUICKSTEP: DFT engine
- Practical example of using CP2K to generate simulated STM images
 - Terminal states in AGNR segments with 1H and 2H termination groups

What is CP2K?

Swiss army knife of molecular simulation





- Geometry and cell optimisation
- Molecular dynamics (NVE, NVT, NPT, Langevin)
- STM Images
- Sampling energy surfaces (metadynamics)
- Finding transition states (Nudged Elastic Band)
- Path integral molecular dynamics
- Monte Carlo
- And many more...

Energy and Force Engine

- DFT (LDA, GGA, vdW, Hybrid)
- Quantum Chemistry (MP2, RPA)
- Semi-Empirical (DFTB)
- Classical Force Fields (FIST)
- Combinations (QM/MM)

Development

- Freely available, open source, GNU Public License
 - www.cp2k.org
- FORTRAN 95, > 1,000,000 lines of code, very active development (daily commits)
- Currently being developed and maintained by community of developers:
 - **Switzerland**: Paul Scherrer Institute Switzerland (PSI), Swiss Federal Institute of Technology in Zurich (ETHZ), Universität Zürich (UZH)
 - USA: IBM Research, Lawrence Livermore National Laboratory (LLNL),
 Pacific Northwest National Laboratory (PNL)
 - UK: Edinburgh Parallel Computing Centre (EPCC), King's College London (KCL), University College London (UCL)
 - **Germany**: Ruhr-University Bochum
 - **Others**: We welcome contributions from interested users, just send code to a developer. After passing quality check can be in SVN trunk within days.

User Base

- Large user base across the world
- Recent UK national HPC service report:
 - 2nd most used code on ARCHER
 - Number of users increasing
 - Preferred by users for larger simulations compared to traditional plane-wave codes
- User community through Google Group
 - https://groups.google.com/forum/#! forum/cp2k
- Tutorial pages:
 - http://www.cp2k.org/tutorials
 - Wiki format, users are encouraged to share their experiences with the community

Figure 3: Periodic electronic structure code usage across systems as a function of % core hours used.

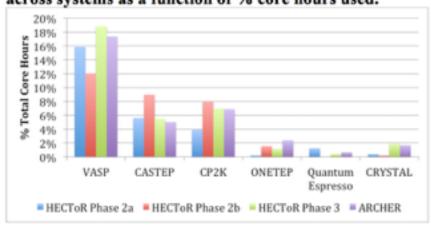


Table 5: Median job sizes (in cores) for periodic electronic structure codes on each of the systems.

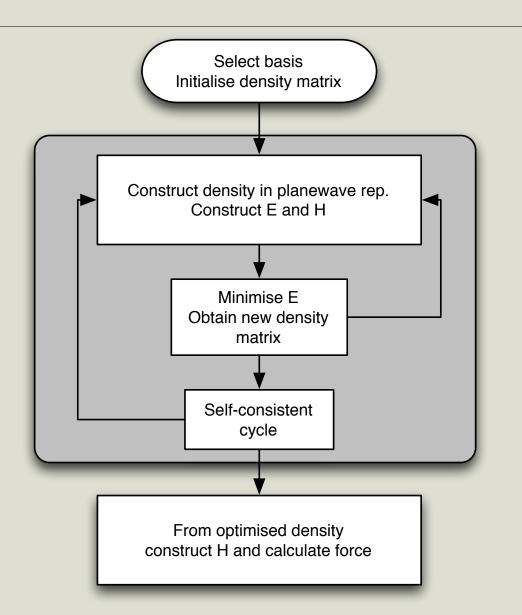
	HECToR	HECT ₀ R	HECTOR	ARCHER
	Phase 2a	Phase 2b	Phase 3	
VASP	240	456	480	240
CASTEP	252	720	512	360
CP2K	224	1320	608	672
ONETEP	104	504	416	864
Quantum Espresso	60	72	448	192
CRYSTAL	144	4032	3648	2808

Information For Developers

- Parallelisation:
 - MPI + OpenMP
 - CUDA C (GPU): sparse matrix multiplication engine
- Quality Control on Development:
 - Over 2000 automatic regression tests and memory leak tests
- Own Libraries:
 - DBCSR (parallel sparse matrix format and multiplication)
 - libsmm (small matrix multiplication)
- External Libraries:
 - BLAS/LAPACK (MKL, ACML, ATLAS, Cray-LibSci, ...)
 - ScaLAPACK/BLACS, ELPA
 - FFTW
 - libint (HF exact exchange)
 - libxc (exchange-correlation functionals)

DFT Solver: QuickStep

- Basis Sets: GWP
 - Contracted Gaussians functions for matrices
 - Planewaves for density function: electrostatics using FFT
- Uses Pseudopotentials based on Gaussian functions (Goedecker-Teter-Hutter)
 - A library of pseudo potentials and basis functions for most elements in the periodic table comes with the package
- Energy Minimiser
 - Diagonalisation
 - Orbital Transform
- Self-consistent cycle
 - · Pulav, Brovden



Direct Diagonalisation + DIIS

Construct H and S, and solve eigenvalue problem directly — O(N³)

$$\hat{H}\psi_n(\mathbf{r}) = E_n\psi_n(\mathbf{r})$$

$$\rho(\mathbf{r}) = \sum f_n(E_n, N_e)\psi_n(\mathbf{r})\psi_n(\mathbf{r})^*$$

- CP2K reorthogonalises the basis set by using transformation $S^{-\frac{1}{2}}$
- Uses ScaLAPACK (or ELPA)

• DIIS (Pulay mixing):
$$\rho_{\text{in}}^{\text{opt}} = \sum_{i=m-N_P+1}^{m} \alpha_i \rho_{\text{in}}^i$$
 $\sum_{i=m-N_P+1}^{m} \alpha_i = 1$

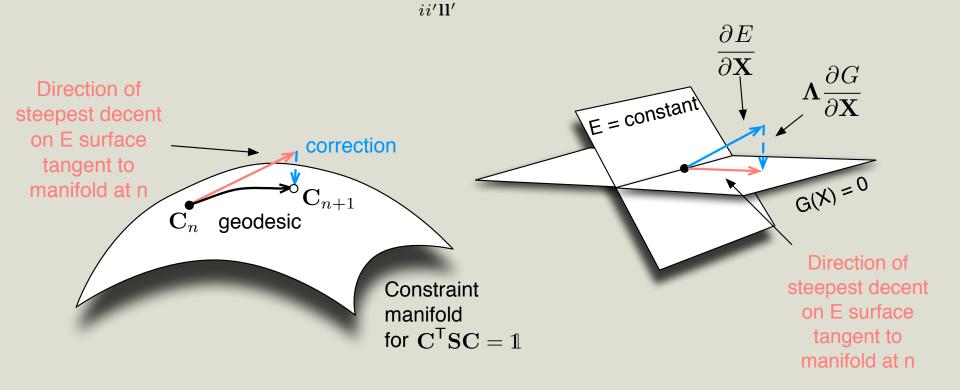
$$\langle R[\rho_{\rm in}^m]|R[\rho_{\rm in}^m]\rangle \equiv \int \mathrm{d}^3\mathbf{r} R([\rho_{\rm in}^m],\mathbf{r})R([\rho_{\rm in}^m],\mathbf{r}) \qquad \qquad \alpha_i = \frac{\sum_{j=m-N_P+1}^m A_{ji}^{-1}}{\sum_{i,j=m-N_P+1}^m A_{ji}^{-1}}$$
$$\langle R[\rho_{\rm in}^{\rm opt}]|R[\rho_{\rm in}^{\rm opt}]\rangle \leq \langle R[\rho_{\rm in}]|R[\rho_{\rm in}]\rangle \qquad \qquad \rho_{\rm in}^{m+1} \equiv \rho_{\rm in}^{\rm opt} + AR[\rho_{\rm in}^{\rm opt}]$$
$$A_{ij} \equiv \langle R[\rho_{\rm in}^i]|R[\rho_{\rm in}^j]\rangle \qquad \qquad \rho_{\rm in}^{m+1} \equiv \rho_{\rm in}^{\rm opt} + AR[\rho_{\rm in}^{\rm opt}]$$

Orbital Transform Method

- Total KS energy is a functional of the electron density, which is a functional of the wavefunctions.
- Density Functional Theory: the minimal of the KS functional gives the ground state density and energy
- Orbital Transform method: find the ground state density (wavefunctions) by direct minimisation of the KS energy as a function of the wavefunction coefficients (in the Gaussian basis representation)
- Advantages:
 - Fast: does not involve expensive diagonalisation
 - If preconditioned correctly, method guaranteed to find minimum
- Disadvantages:
 - Sensitive to preconditioning. A good preconditioner can be expensive
 - No smearing, or advanced SCF mixing possible: poor convergence for metalic systems

Orbital Transform

• We need to minimise energy with respect to the constraint that wavefunctions always remain orthonormal: $\sum C_n^{i\mathbf{l}*} \langle \phi_{i\mathbf{l}} | \phi_{i'\mathbf{l}'} \rangle C_m^{i'\mathbf{l}'} = \delta_{nm}$



Orbital Transform

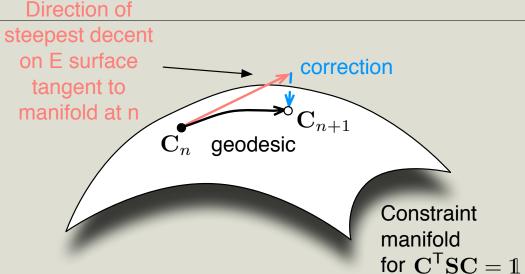
Instead of minimising E
 with respect to
 wavefunction coefficients,
 make a transformation of
 variable to:

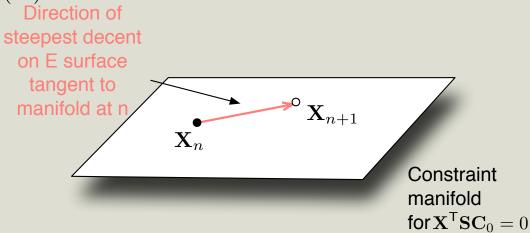
$$\mathbf{C}(\mathbf{X}) = \mathbf{C}_0 \cos(\mathbf{U}) + \mathbf{X} \mathbf{U}^{-1} \sin(\mathbf{U})$$

$$\mathbf{U} = (\mathbf{X}^\mathsf{T} \mathbf{S} \mathbf{X})^{rac{1}{2}}$$

With the constraint:

$$\mathbf{X}^\mathsf{T}\mathbf{SC}_0 = 0$$





Orbital Transform

- Need to avoid diagonalisation
- Cosine and Sine functions are expanded in Taylor series up to order K (K = 2, 3 already give machine precision)
- Calculate inverse U as part of Taylor expansion

$$\cos(\mathbf{U}) = \sum_{i=0}^{K} \frac{(-1)}{(2i)!} (\mathbf{X}^{\mathsf{T}} \mathbf{S} \mathbf{X})^{i}$$

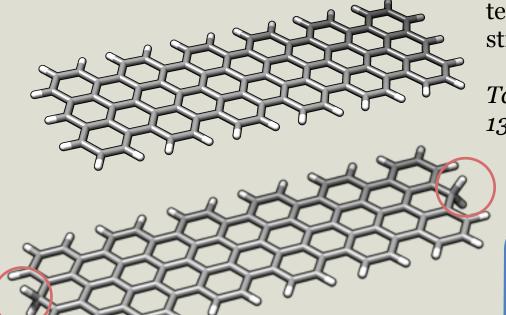
$$\mathbf{U}^{-1}\sin(\mathbf{U}) = \sum_{i=0}^{K} \frac{(-1)^i}{(2i+1)!} (\mathbf{X}^\mathsf{T} \mathbf{S} \mathbf{X})^i$$

10 to 20 times faster than Diagonalisation + DIIS

Practical Example: ANGR Terminal States

• Consider two polyantryl molecules (armchair graphene nano ribbon segments):

It has been observed that



It has been observed that different termination leads to a change of state structure completely:

Talirz et al. J. Am. Chem. Soc., 2013, 135 (6), pp 2060–2063

The associated files for this tutorial is available for download at:

http://www.cp2k.org/howto:stm

Prepare CP2K Input Files

- To run a CP2K simulation, you need the minimum of following files:
 - Input parameters file
 - Atomic coordinate file if not include in the input file
 - Pseudopotential data file
 - Gaussian basis set data file
- Pseudopotential and basis set can simply be copied from cp2k/ data/ directory included in the package
- Atomic coordinate files can be most of the common formats such as .xyz or .pdb etc.
- A web-based GUI for generating the input parameter file is under development, expect to be released in the near future!

CP2K Input Parameters File

§ion_name
 keyword values
 ...
 &subsection_name
 keyword values
 ...
 &END subsection_name
 ...
&END section_name
&another_section
 ...
&END another_section

CP2K input consists of nested sections

Controls level of output during MD

Controls overal verbosity Job name — Job type Force Engine Parameters for MD Job type **&MOTION** &GEO_OPT &END GEO_OPT &CONSTRAINT &END CONSTRAINT &PRINT Constrain **&END PRINT**

& END MOTION

```
&GLOBAL

→ PRINT_LEVEL LOW

→ PROJECT GNR_A7_L11_2H

RUN_TYPE GEO_OPT

&END GLOBAL
```

Job Admin

```
Model type
&FORCE_EVAL
  METHOD Quickstep
                     Atomic
  &SUBSYS
                     coordinates
                     and kinds
  &END SUBSYS
  &DFT
                 Model
                 parameters
  &END DFT
  &PRINT
                  Controls level o
                  output during
  &END PRINT
                 Force eval
&END FORCE_EVAL
```

First Relax The System

```
&GLOBAL
  PRINT_LEVEL LOW
  PROJECT GNR_A7_L11_1H
  RUN_TYPE GEO_OPT
&END GLOBAL
```

It is essential to first find you have enough grid points for the real space and FFT grid (i.e. large enough planewave basis set). A tutorial on how to do this can be found on http:// www.cp2k.org/

```
&MOTION
  &GEO OPT
    TYPE MINIMIZATION
   MAX DR 1.0E-03
   MAX_FORCE 1.0E-03
   RMS DR
          1.0E-03
   RMS FORCE 1.0E-03
   MAX_ITER 200
   OPTIMIZER BFGS
 &END GEO OPT
  &CONSTRAINT
   &FIXED ATOMS
     COMPONENTS_TO_FIX XYZ
     LIST 1
   &END FIXED_ATOMS We fix the first atom
 &END CONSTRAINT
&END MOTION
```

Basis and **Pseudopotential** files

```
&FORCE EVAL
 METHOD Quickstep
 &SUBSYS
   &CELL
     ABC [angstrom] 60 30 20
     MULTIPLE_UNIT_CELL 1 1 1
   &END
                               atomic coordinate
   &TOPOLOGY
     COORD_FILE_NAME ./GNR_A7_L11_1H.xyz
     COORDINATE xyz
     MULTIPLE_UNIT_CELL 1 1 1
   &END
   &KIND C
     BASIS_SET DZVP-MOLOPT-GTH
     POTENTIAL GTH-PBE-q4 which basis and
   &END KIND
                               PP to use
   &KIND H
     BASIS_SET DZVP-MOLOPT-GTH
     POTENTIAL GTH-PBE-q1
   &END KIND
 &END SUBSYS
 &DFT
   BASIS_SET_FILE_NAME ./BASIS_MOLOPT
   POTENTIAL_FILE_NAME ./GTH_POTENTIALS
   &MGRID
     CUTOFF 350 Planewave cutoff
   &END
   &SCF
     MAX_SCF 100
     SCF_GUESS ATOMIC
     EPS_SCF 1.0E-6
     &0T
       PRECONDITIONER FULL_KINETIC
       ENERGY_GAP 0.01
     &END
     &OUTER SCF
       MAX_SCF 30
       EPS_SCF 1.0E-6
     &END
   &END SCF
                        Functional to use
   &XC
     &XC_FUNCTIONAL PBE 1
     &END XC_FUNCTIONAL
   &END XC
 &END DFT
&END FORCE_EVAL
```

First Relax The System: SCF output

```
SCF WAVEFUNCTION OPTIMIZATION
  Allowing for rotations: F
Optimizing orbital energies: F
Minimizer : CG
                           : conjugate gradient
                             : inversion of T + eS
Preconditioner : FULL_KINETIC
Precond solver : DEFAULT
Line search : 2PNT
                             : 2 energies, one gradient
stepsize : 0.15000000
energy_gap : 0.01000000
eps_taylor : 0.10000E-15
max_taylor :
mixed_precision : F
Step Update method Time Convergence Total energy Change
  1 OT CG 0.15E+00 10.1 0.02378927 -453.3605987256 -4.53E+02
  2 OT LS 0.26E+00 6.9
                                          -467.1228126140
                             0.01988127
  3 OT CG
             0.26E+00
                      12.8
                                          -470.7669071970 -1.74E+01
  4 OT LS
             0.19E+00
                      6.9
                                          -478.9120765273
  5 OT CG
                      12.9
             0.19E+00
                             0.01840474
                                          -479.5432087931 -8.78E+00
  6 OT LS
           0.13E+00 6.9
                                          -483.6122036385
  7 OT CG
         0.13E+00
                      12.8
                             0.01235887
                                          -484.5052898176 -4.96E+00
  8 OT LS
         0.25E+00 6.9
                                        -487.8838131986
                             0.00866152 -489.0337576747 -4.53E+00
  9 OT CG
         0.25E+00
                      12.8
  10 OT LS
             0.29E+00
                      6.8
                                          -491.5792427348
```

First Relax The System: GEO_OPT output

Informations at st	ep =	3
Optimization Method	=	BFGS
Total Energy	=	-495.8615666787
Real energy change	=	-0.0042200259
Predicted change in energy	=	-0.0029921326
Scaling factor	=	0.0000000000
Step size	=	0.0742559544
Trust radius	=	0.4724315332
Decrease in energy	=	YES
Used time	=	400.750
Convergence check :		
Max. step size	=	0.0742559544
Conv. limit for step size	=	0.0010000000
Convergence in step size	=	NO
RMS step size	=	0.0187665678
Conv. limit for RMS step	=	0.0010000000
Convergence in RMS step	=	NO
Max. gradient	=	0.0078329898
Conv. limit for gradients	=	0.0010000000
Conv. for gradients	=	NO
RMS gradient	=	0.0019762953
Conv. limit for RMS grad.	=	0.0010000000
Conv. for gradients	=	NO

```
----- Informations at step =
                                97 -----
Optimization Method
                                         BFGS
Total Energy
                               -495.8856430646
Real energy change =
                              -0.0000002756
Predicted change in energy = -0.0000001832
Scaling factor
                                 0.0000000000
Step size
                                 0.0007308991
Trust radius
                                 0.4724315332
Decrease in energy
                                         YES
                                      123.284
Used time
Convergence check:
Max. step size
                                 0.0007308991
Conv. limit for step size =
                                 0.0010000000
Convergence in step size
                                          YES
RMS step size
                                 0.0001960784
Conv. limit for RMS step
                                 0.0010000000
Convergence in RMS step
                                          YES
Max. gradient
                                 0.0000373960
Conv. limit for gradients =
                                 0.0010000000
Conv. in gradients
                                          YES
RMS gradient
                                 0.0000115708
Conv. limit for RMS grad. =
                                 0.0010000000
Conv. in RMS gradients
```

Not converged

Converged

Simulated STM Using Tersoff-Hamann approximation

- Tersoff-Hamann approximation:
 - Assume spherical (s-wave-function) tip, with low bias applied

$$I = eV \sum_{E_n = E_F + eV}^{E_F} \|\Psi_n(\mathbf{r})\|^2$$

- Tunnelling current through the tip at \mathbf{r} is proportional to the partial electron density in the energy window between E_F and $E_F + eV$ of the sample at \mathbf{r}
- +V probes the conduction band, -V probes the valence band
- From SCF energy calculation, obtain both occupied and unoccupied orbitals that lie within the energy window, sum up and obtains volume data of the tunnelling current at every point in the simulation cell.
- From the volume data of tunnelling current, we can obtain both constant current or constant height images.

STM Input

```
&DFT
...
&PRINT
&STM
BIAS -2.0 -1.0 1.0 2.0
TH_TORB S
NLUMO 200
&END STM
...
&END PRINT
&END DFT
```

Biases in V

Type of tip symmetry

Number of unoccupied orbitals to include in the calculation

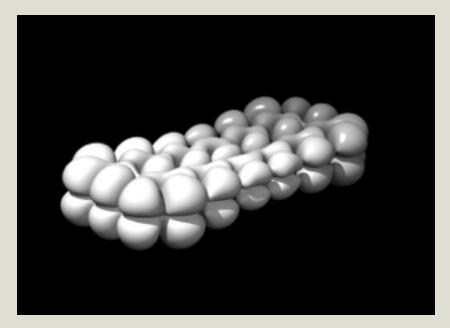
Tip type

Outputs CUBE files: GNR_A7_L11_1H_STM-STM_00_00002-1_0.cube

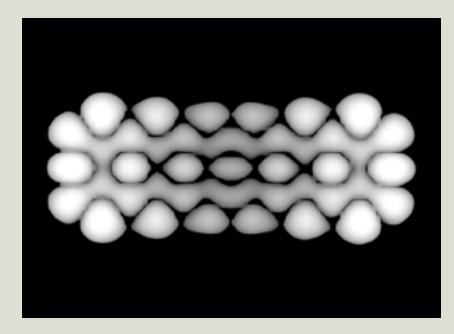
Job name bias index

STM Images

Constant current measurements



Iso-current surface in volume data

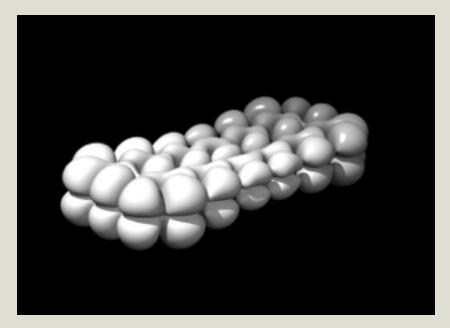


Z-contrast

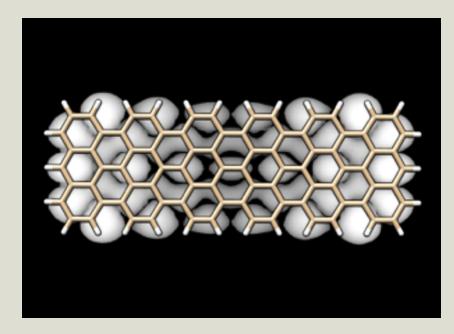
Visualisation using UCSF Chimera, J Comput Chem. 2004 Oct;25(13):1605-12

STM Images

Constant current measurements

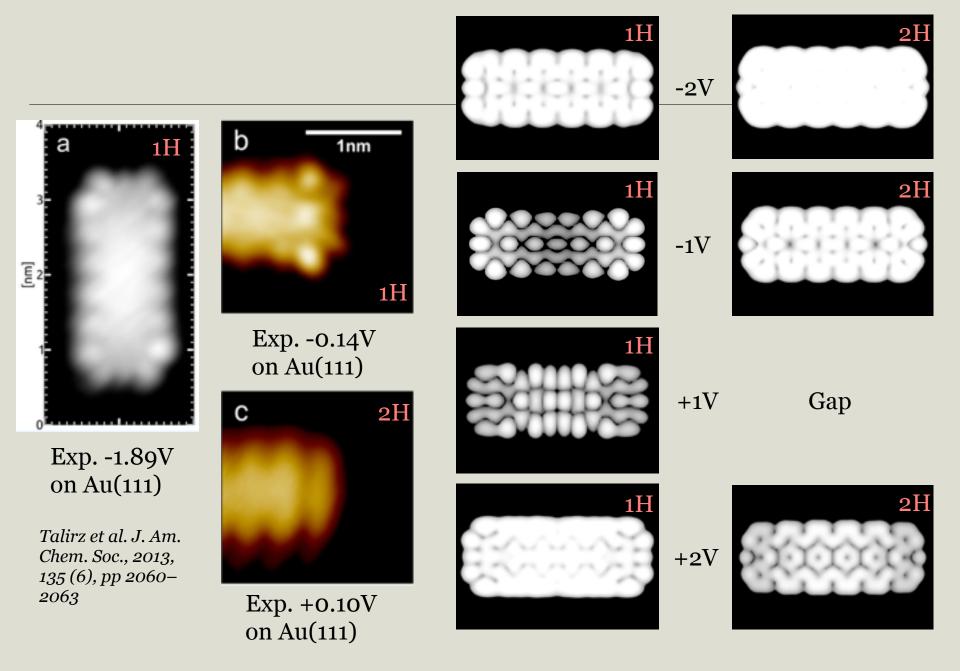


Iso-current surface in volume data



Z-contrast

Visualisation using UCSF Chimera, J Comput Chem. 2004 Oct;25(13):1605-12



Visualisation using UCSF Chimera, J Comput Chem. 2004 Oct;25(13):1605-12

To View Contributing Orbitals

```
&DFT
  &PRTNT
    &MO_CUBES
                                    Number of occupied orbitals to print out
       NHOMO 10
                                   - Number of unoccupied orbitals to print out
       NLUMO 10
       STRTDF 2 2 2
                                   How coarse is the output cube
       WRITE_CUBE T
                                   file
    &END MO_CUBES
  &FND PRTNT
                                              orbital number in
&END DFT
                                              order of its energy
       Outputs CUBE files: GNR_A7_L11_1H_STM-WFN_00184_1.cube
                                   Job name
```

To View Contributing Orbitals

Fermi Energy

GNR_A7_L11_1H_STM-WFN_00184_1.cube

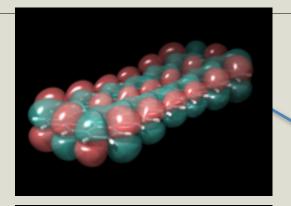
CP2K main output for STM calculation

-Quickstep-					
WAVEFUNCTION		184 sp	oin 1 i.	e LUMO + 0	
114	0.000000	0.000000	0.000000		
338	0.335951	0.000000	0.000000		
180	0.000000	0.314954	0.000000		
113	0.000000	0.000000	0.335951		
1	0.000000	28.145581	37.666021	18.897261	
1	0.000000	28.177779	33.065110	18.847665	
1	0.000000	28.125830	28.449643	18.831351	
6	0.000000	30.241584	33.058888	18.836194	
6	0.000000	30.187491	28.411612	18.825917	
6	0.000000	30.209663	37.703928	18.861812	
1	0.000000	30.448718	24.358968	18.829013	
1	0.000000	30.495028	41.755734	18.864860	
6	0.000000	31.484281	26.141256	18.824440	
6	0.000000	31.523286	30.736638	18.824450	
6	0.000000	31.536401	35.374029	18.838633	
6	0.000000	31.520564	39.967601	18.850293	

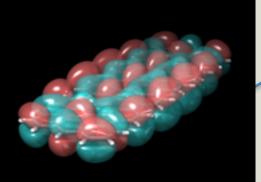
STM : Reference energy -0.133627 a.u.
Preparing for STM image at bias [a.u.] -0.073499 Using a total of 7 states
Preparing for STM image at bias [a.u.] -0.036749 Using a total of 2 states
Preparing for STM image at bias [a.u.] 0.036749 Using a total of 1 states
Preparing for STM image at bias [a.u.] 0.073499 Using a total of 6 states

Contributing Orbitals

HOMO E = -0.13362650 Ha

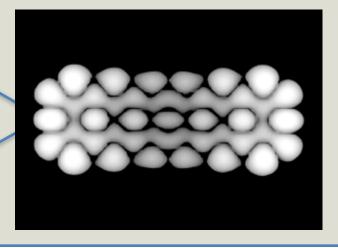


HOMO - 1 E = -0.17065594 Ha

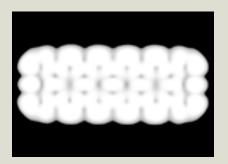


HOMO - 3 E = -0.18709203 Ha





Preparing for STM image at bias [a.u.] -0.036749 Using a total of 2 states



Ensure you have the full band structure

- CP2K currently supports Gamma point calculation only
 - K-point implementation expected to be released early next year.
- One must ensure you have the complete band structure by having a large enough system

MULTIPLE_UNIT_CELL 8 8 8

- Efficient for large systems:
 - Orbital Transform
 - Filtered Matrix Diagonalisation— up to 10 times speed up with little lose of accuracy for large systems: Please see poster

